

Mapping Texture in Thin Films

D. Chateigner

CRISMAT-ISMRA, Caen, France



Summary

- Introduction
 - Texture with regular scans
 - Pole figures
 - Typical pole figures
- Different approaches
 - Experimental needs
 - Choice of the detector
 - Choice of a reference frame

- Methodology
 - Pole Figure Corrections (defocusing, volumic/absorption, location, fluorescence)
 - ODF calculation
 - Estimators of refinement quality
 - Estimators of Texture strength
 - Measurements / Orientation space coverage
- Simple objects to deal with
 - Recalculated low-indices pole figures
 - Inverse pole figures (fibre textures)
 - Volumic ratios (single-crystal like and epitaxy)
 - Deal with components in the ODF space

- Why Texture Analysis
 - Anisotropic Physical Properties
 - Elastic properties
 - Seismic wave velocities
 - Magnetic ferro or antiferro compounds
 - Anionic conductivity
 - Superconducting currents and Levitation forces
 - Anisotropic measurements
 - Polarised EXAFS
 - ESR, Raman
 - Diffraction !!!!
- Conclusions

Estimators of Refinement Quality

RP Factors:

Individual pf:

$$RP_x(h_i) = \frac{\sum_{j=1}^J |\tilde{P}_{h_i}^o(y_j) - \tilde{P}_{h_i}^c(y_j)|}{\sum_{j=1}^J \tilde{P}_{h_i}^o(y_j)} \theta(x, \tilde{P}_{h_i}^o(y_j))$$

$$\theta(x, t) = \begin{cases} 1 & \text{for } t > x \\ 0 & \text{for } t \leq x \end{cases}$$

Averaged:

$$\overline{RP}_x = \frac{1}{I} \sum_{i=1}^I RP_x(h_i)$$

$$x = \varepsilon, 1, 10 \dots$$

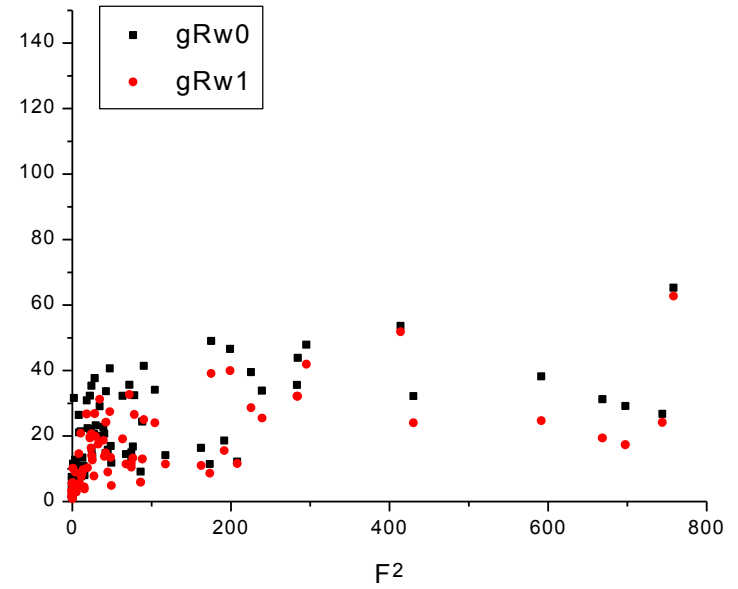
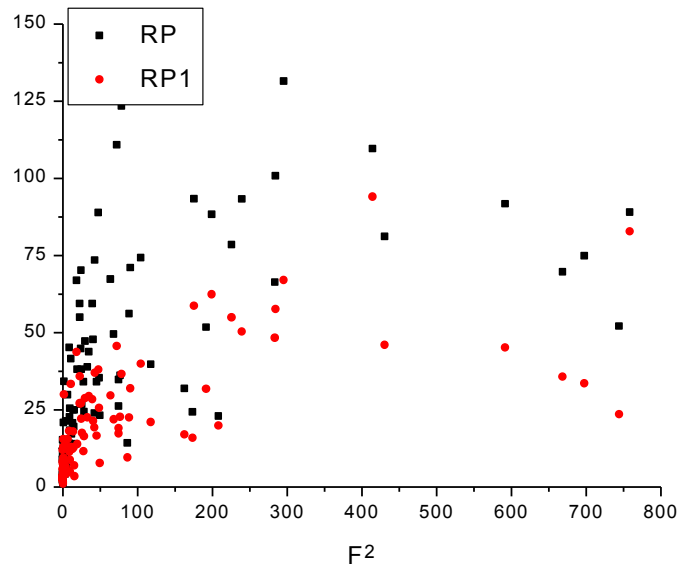
Bragg R-Factors:

$$RB_x(h_i) = \frac{\sum_{j=1}^J [\tilde{P}_{h_i}^o(y_j) - \tilde{P}_{h_i}^c(y_j)]^2}{\sum_{j=1}^J \tilde{P}_{h_i}^{o^2}(y_j)} \theta(x, \tilde{P}_{h_i}^o(y_j))$$

Weighted Rw-Factors:

$$Rw_x(h_i) = \frac{\sum_{j=1}^J [w_{ij}^o I_{h_i}^o(y_j) - w_{ij}^c I_{h_i}^c(y_j)]^2}{\sum_{j=1}^J w_{ij}^{oZ} I_{h_i}^{o^2}(y_j)} \theta(x, \tilde{P}_{h_i}^o(y_j)) \quad w_{ij} = \frac{1}{\sqrt{I_{h_i}^o(y_j)}}$$

RPs vary much with texture strength than Rws



Estimators of Texture Strength

Texture Index:

$$F^2 = \frac{1}{8\pi^2} \sum_i f(g_i) \Delta g_i$$

Entropy:

$$S = \frac{-1}{8\pi^2} \sum_i f(g_i) \ln[f(g_i)] \Delta g_i$$

Measurements / Orientation Space Coverage

Say 20 measured ($5^\circ \times 5^\circ$) complete pole figures:

$$= 20 \times 1398 = 27960 \text{ experimental points}$$

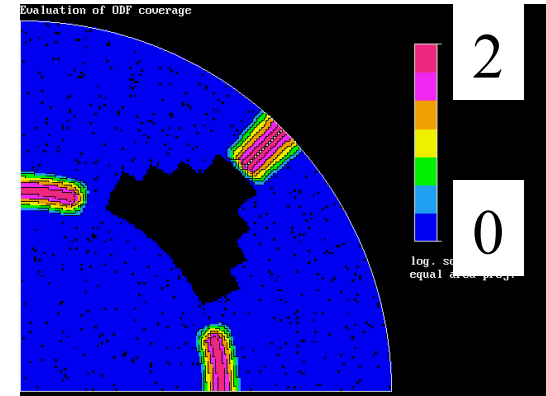
ODF ($5^\circ \times 5^\circ \times 5^\circ$, triclinic): 98496 points to refine

strongly underdetermined system !

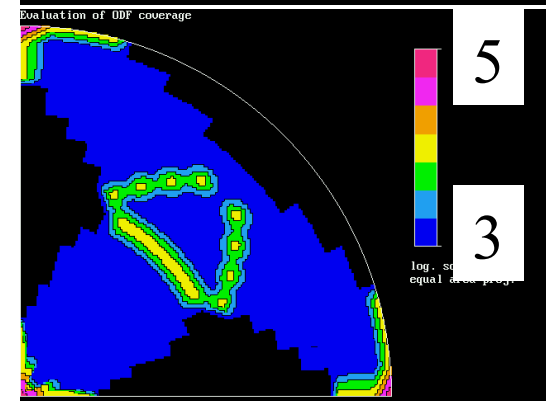
Evaluation of the OD coverage

Cubic Crystal Structure:

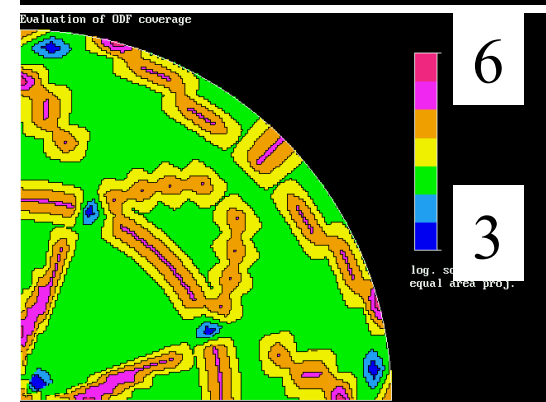
$\{100\}$ pole figure, measured up to $c = 45^\circ$:



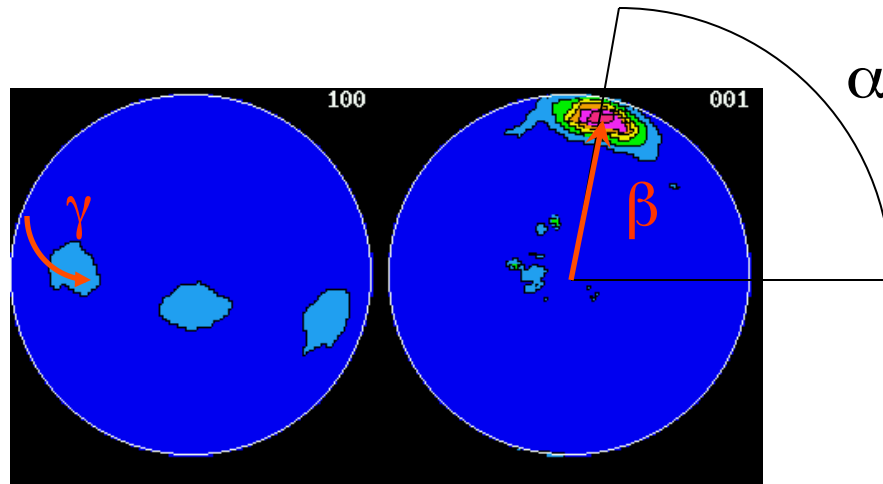
$\{100\} + \{110\}$, measured up to $c = 45^\circ$:



$\{100\} + \{110\} + \{111\}$, up to $c = 45^\circ$:



Deal with components in the ODF space



Pole figures

Component:
(Hexagonal system)
 $g = \{85,80,35\}$

ODF γ -sections

